

# Constructions



## TRY YOURSELF

## SOLUTIONS

### 1. Steps of Construction :

**Step I :** Draw an  $\angle AOB = 70^\circ$  with the help of a protractor.

**Step II :** Taking  $O$  as centre and any suitable radius, draw an arc cutting  $\overline{OA}$  at  $P$  and  $\overline{OB}$  at  $Q$ .

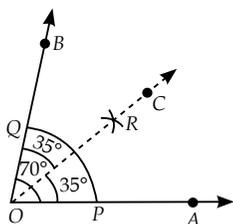
**Step III :** Taking  $P$  as centre and with radius more than  $\frac{1}{2}PQ$ , draw an arc in the interior of  $\angle AOB$ .

**Step IV :** Taking  $Q$  as centre and with same radius as in step III, draw another arc intersecting the previous arc at  $R$ .

**Step V :** Join  $OR$  and produce it to  $C$ .

Then, ray  $OC$  is the required angle bisector of  $\angle AOB$ .

On measuring with protractor, we find that  $\angle AOC = \angle COB = 35^\circ$



### 2. Steps of Construction :

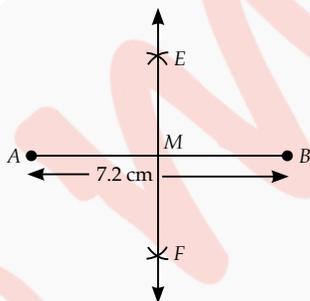
**Step I :** Draw a line segment  $AB = 7.2$  cm by using a graduated ruler.

**Step II :** Taking  $A$  as centre and radius more than half of  $AB$ , draw arcs on both sides of the line segment  $AB$ .

**Step III :** Taking  $B$  as centre and same radius as in step II, draw arcs on both sides of the line segment  $AB$  cutting the previous arcs at  $E$  and  $F$ .

**Step IV :** Join  $EF$ , intersecting  $AB$  at  $M$ .

Then,  $EF$  is the required perpendicular bisector of  $AB$ . On measuring with graduated ruler, we find that  $AM = MB = 3.6$  cm.



### 3. Steps of Construction :

**Step I :** Draw a ray  $OA$ .

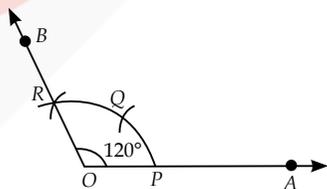
**Step II :** Taking  $O$  as centre and any suitable radius, draw an arc cutting  $\overline{OA}$  at  $P$ .

**Step III :** Taking  $P$  as centre and same radius draw an arc, cutting the first arc at  $Q$ .

**Step IV :** Taking  $Q$  as centre and the same radius, draw an arc, cutting the arc, drawn in step II at  $R$ .

**Step V :** Join  $OR$  and produce it to any point  $B$ .

Then,  $\angle AOB$  so obtained is the required angle of measure  $120^\circ$ .



### 4. Steps of Construction :

**Step I :** Draw an  $\angle AOB$  of measure  $128^\circ$  by using a protractor.

**Step II :** Taking  $O$  as centre and a convenient radius draw an arc cutting  $\overline{OA}$  and  $\overline{OB}$  at  $P$  and  $Q$  respectively.

**Step III :** Taking  $P$  as centre and radius more than  $\frac{1}{2}PQ$ , draw an arc in the interior of  $\angle AOB$ .

**Step IV :** Taking  $Q$  as centre and the same radius, as in step III, draw another arc intersecting the previously drawn arc at  $R$ .

**Step V :** Join  $OR$  and produce it to form ray  $OX$ . Then  $\angle AOX$  so obtained is of measure  $\left(\frac{128^\circ}{2}\right)$  i.e.  $64^\circ$ .

**Step VI :** Taking  $S$  (the point where ray  $OX$  cuts the arc  $PQ$ ) as centre and radius more than  $\frac{1}{2}QS$ , draw an arc in the interior of  $\angle BOX$ .

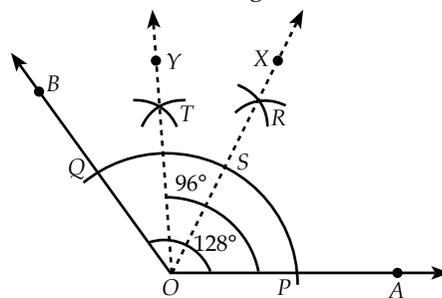
**Step VII :** Taking  $Q$  as centre and the same radius, as in step VI, draw another arc intersecting the previous arc drawn in step VI at  $T$ .

**Step VIII :** Join  $OT$  and produce it to form ray  $OY$ .

Clearly,  $\angle XOY = \frac{1}{2}\angle XOB = \frac{1}{2}(64^\circ) = 32^\circ$

$\therefore \angle AOT = \angle AOX + \angle XOY = 64^\circ + 32^\circ = 96^\circ$

Then,  $\angle AOY$  is the desired angle.



### 5. Steps of Construction :

**Step I :** Draw the base  $QR = 7$  cm.

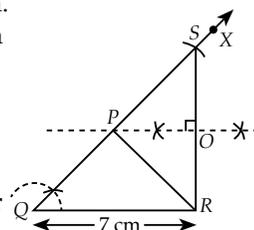
**Step II :** At point  $Q$ , construct an  $\angle XQR = 60^\circ$ .

**Step III :** From  $\overline{QX}$ , cut-off  $QS = 13$  cm ( $= PQ + PR$ ).

**Step IV :** Join  $RS$ .

**Step V :** Draw the perpendicular bisector of  $RS$ , which intersects  $QS$  at  $P$ .

**Step VI :** Now join  $PR$ .



Then,  $PQR$  is the required triangle.

**Justification :** Since, point  $P$  lies on the perpendicular bisector of  $RS$ .

$$\therefore PS = PR$$

$$\text{Now, } PQ = QS - PS = QS - PR$$

$$\Rightarrow PQ + PR = QS, \text{ which justified the construction.}$$

### 6. Steps of Construction :

**Step I :** Draw the base  $BC = 4.5$  cm.

**Step II :** Construct  $\angle XBC = 45^\circ$ .

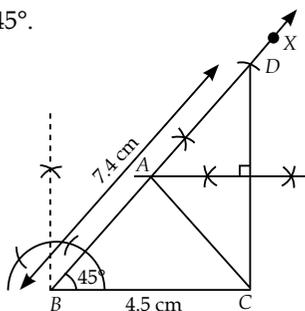
**Step III :** From  $\overline{BX}$ , cut-off  $BD = 7.4$  cm ( $= AB + AC$ ).

**Step IV :** Join  $CD$ .

**Step V :** Draw the perpendicular bisector of  $CD$ , intersecting  $BD$  at  $A$ .

**Step VI :** Join  $AC$ .

Then,  $ABC$  is the required triangle.



### 7. Steps of Construction :

**Step I :** Draw the base  $AB = 6.2$  cm

**Step II :** Draw  $\angle BAX = 30^\circ$ .

**Step III :** From  $\overline{AX}$ , cut-off line segment  $AD = 3.5$  cm ( $= AC - BC$ ).

**Step IV :** Join  $BD$ .

**Step V :** Draw the perpendicular bisector of  $BD$  which cut  $\overline{AX}$  at  $C$ .

**Step VI :** Join  $BC$ .

Then,  $ABC$  is the required triangle.

**Justification :** Since, point  $C$  lies on the perpendicular bisector of  $DB$ .

$$\therefore CD = CB$$

$$\text{Now, } AD = 3.5 \text{ cm}$$

$$\Rightarrow AC - CD = 3.5 \text{ cm}$$

$$\Rightarrow AC - BC = 3.5 \text{ cm, which justified the construction.}$$

### 8. Steps of Construction :

**Step I :** Draw the base  $BC = 5$  cm.

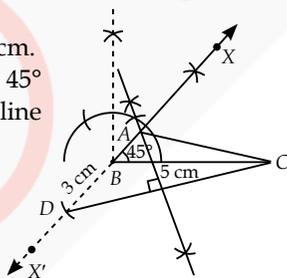
**Step II :** Construct an  $\angle CBX = 45^\circ$  and produce  $XB$  to  $X'$  to form line  $XBX'$ .

**Step III :** From ray  $BX'$ , cut-off line segment  $BD = 3$  cm ( $= AC - AB$ ).

**Step IV :** Join  $CD$ .

**Step V :** Draw perpendicular bisector of  $CD$  which cuts  $BX$  at  $A$ .

**Step VI :** Join  $CA$ .



Then,  $ABC$  is the required triangle.

**Justification :** Since, point  $A$  lies on the perpendicular bisector of  $CD$ .

$$\therefore AC = AD$$

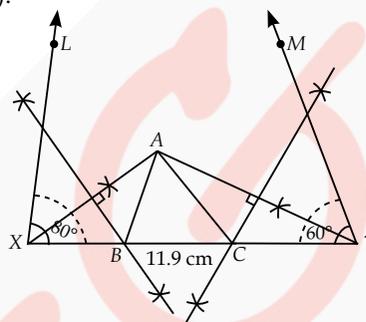
$$\Rightarrow AC = AB + BD$$

$$\Rightarrow AC = AB + 3 \text{ cm}$$

$$\Rightarrow AC - AB = 3 \text{ cm, which justified the construction.}$$

### 9. Steps of Construction :

**Step I :** Draw a line segment  $XY = 11.9$  cm ( $=$  Perimeter of triangle).



**Step II :** At  $X$ , construct an angle of  $80^\circ$  and at  $Y$ , an angle of  $60^\circ$ .

**Step III :** Bisect these angles. Let the bisectors of these angles intersect at a point  $A$ .

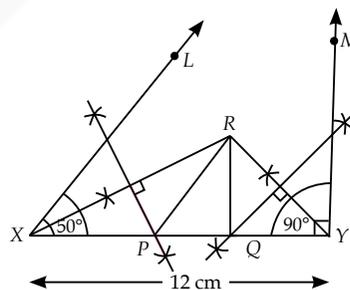
**Step IV :** Draw perpendicular bisectors of  $AX$  and  $AY$  to intersect  $XY$  at  $B$  and  $C$  respectively.

**Step V :** Join  $AB$  and  $AC$ .

Thus,  $ABC$  is the required triangle.

### 10. Steps of Construction :

**Step I :** Draw a line segment  $XY = 12$  cm ( $=$  Perimeter of triangle)



**Step II :** At  $X$  construct an angle of  $50^\circ$  and at  $Y$ , an angle of  $90^\circ$ .

**Step III :** Bisect these angles. Let the bisectors of these angles intersect at a point  $R$ .

**Step IV :** Draw perpendicular bisectors of  $XR$  and  $YR$  to intersect  $XY$  at  $P$  and  $Q$  respectively.

**Step V :** Join  $PR$  and  $QR$ .

Then,  $PQR$  is the required triangle.

